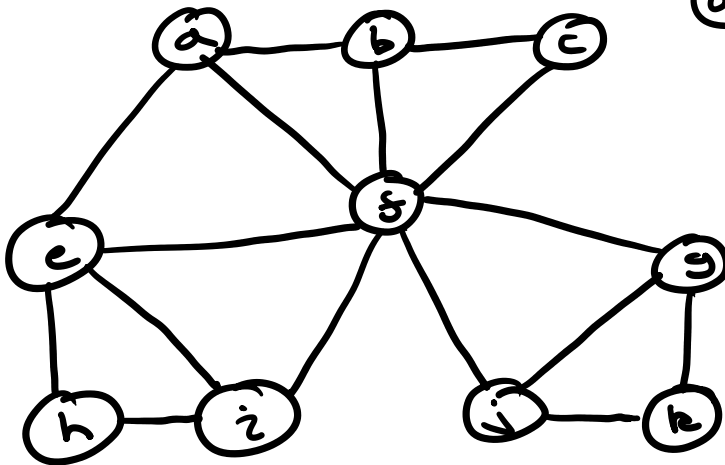


①



(where's d ?)

Closed ear decomposition:

$$P_0 = \{(f, i), (i, h), (h, e), (e, a), (a, b), (b, c), (c, f)\}$$

$$P_1 = (e, i)$$

$$P_2 = (e, f)$$

$$P_3 = (f, a)$$

$$P_4 = (f, b)$$

$$P_5 = \{(f, j), (j, k), (k, g), (g, f)\}$$

$$P_6 = (j, g)$$

Open ear decomposition not possible
due to cut vertex f

This implies that for the above G :

$$K'(G) \geq 2, K(G) = 1$$

$$K'(G) \geq 2, K(G) = 1$$

\uparrow closed ear decomp. exists \uparrow no open ear decomp, but G is still connected

- ②
- a) is useless for us (classic Slota trick)
 - b) we know $\delta(G)$ bounds both $K(G)$ and $K'(G)$ above
 - c) We proved that this is an equivalent statement to saying G is at least 2-connected
 - d) We noted that this implies G is at least 2-edge-connected

$$\Rightarrow K(G) = K'(G) = 2 \quad \square$$

\downarrow \downarrow
 k k'

(Note, we can also say that G is 1-connected and 1-edge-connected, but the above is sufficient)

sufficient)