

Capstone Project

I. Milestone 1: 11th Apr, midnight

send group info before midnight

AlphaFold 2

target : $N_{res} \times 21$

Msa_feat : $N_{clust} \times N_{res} \times 21$ (PSSM)

Residue_index : pos info N_{res}

N_{res} : protein length

N_{atoms} : all atoms

C_{α} : x, y, z
Output

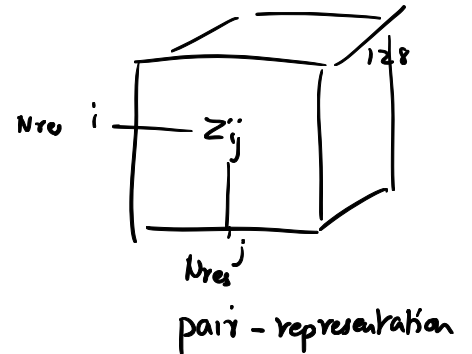
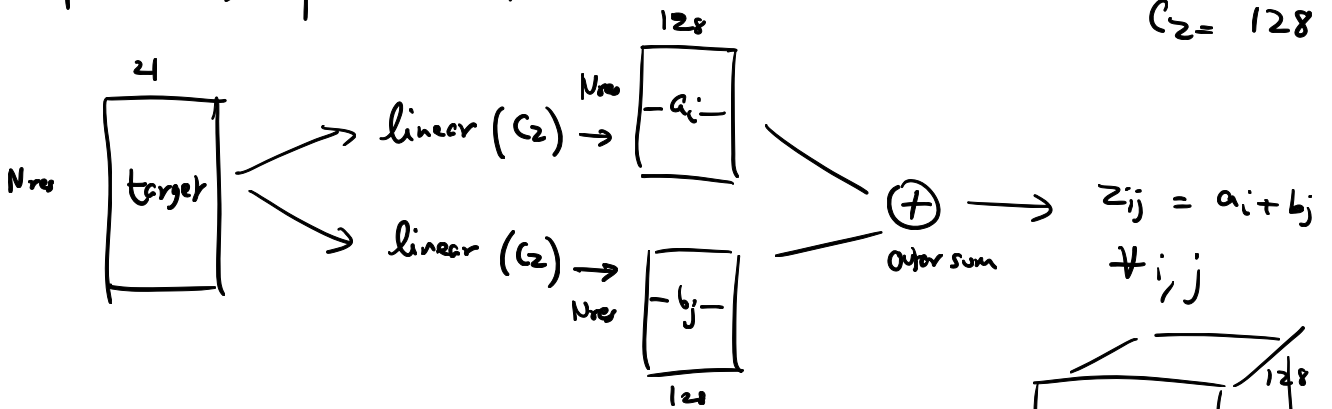
PairE : Input

template - pair
(3D similar
structures)

template angle

we don't have in sidechainnet.

raw input \rightarrow processed inputs



$z_{ij} = z_{ij} + p_{ij}$ final pair-wise rep

$$d_{ij} = (\|x_i - x_j\|)$$

bin into $[-32, -31, \dots, 31, 32]$

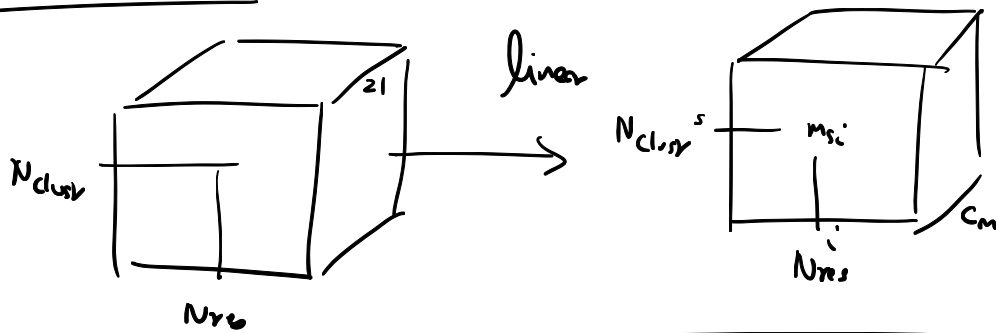
one-hot

$$p_{ij} = \text{linear}(\text{one-hot}(d_{ij}))$$

Relative position module

$$p_{ij} \in \mathbb{R}^{C_2} = \mathbb{R}^{128}$$

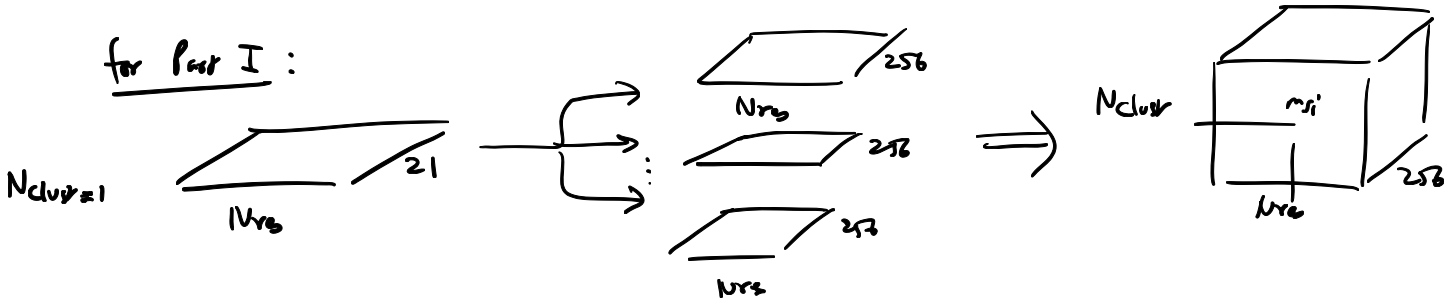
msa-representation



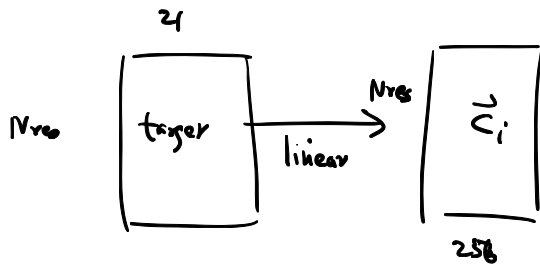
$C_m = 256$
 $\vec{m}_{si} \in \mathbb{R}^{256}$

Actual Alphabet

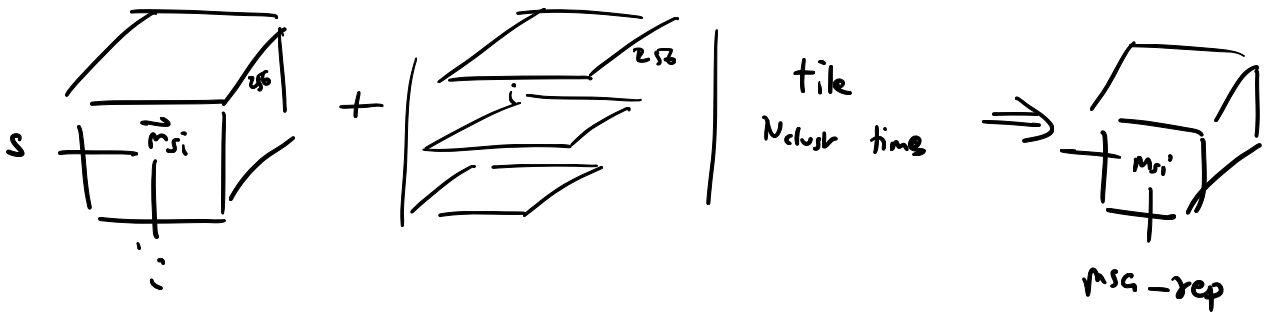
for Part I:



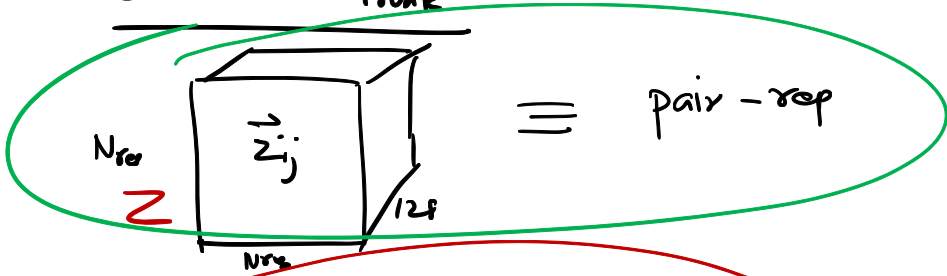
N_{clust} linear layers!



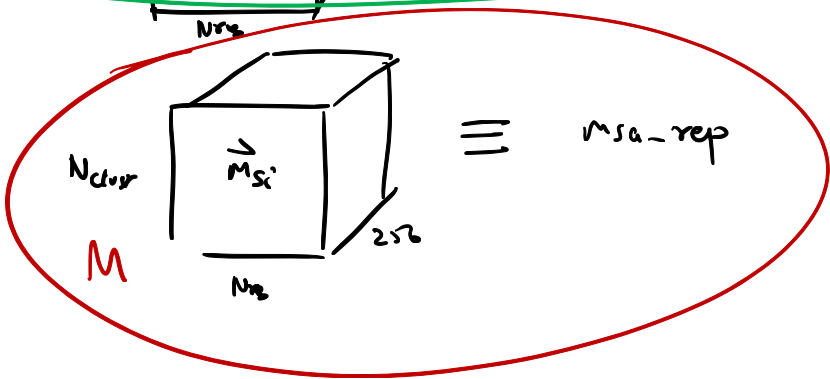
$m_{si} = \vec{m}_{si} + \vec{c}_i$



Evoformer Trunk



triangular attention
multiplicative attention

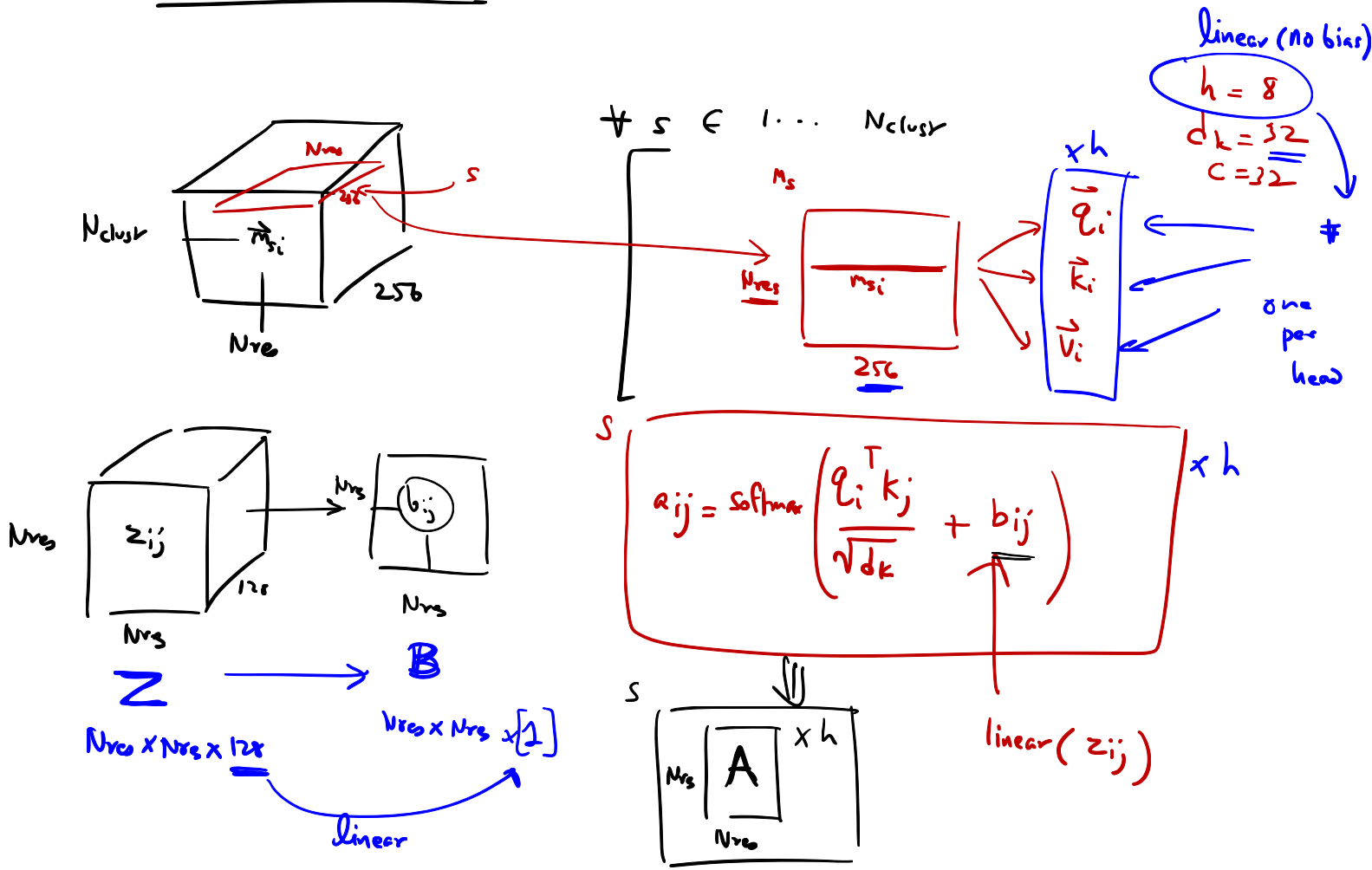


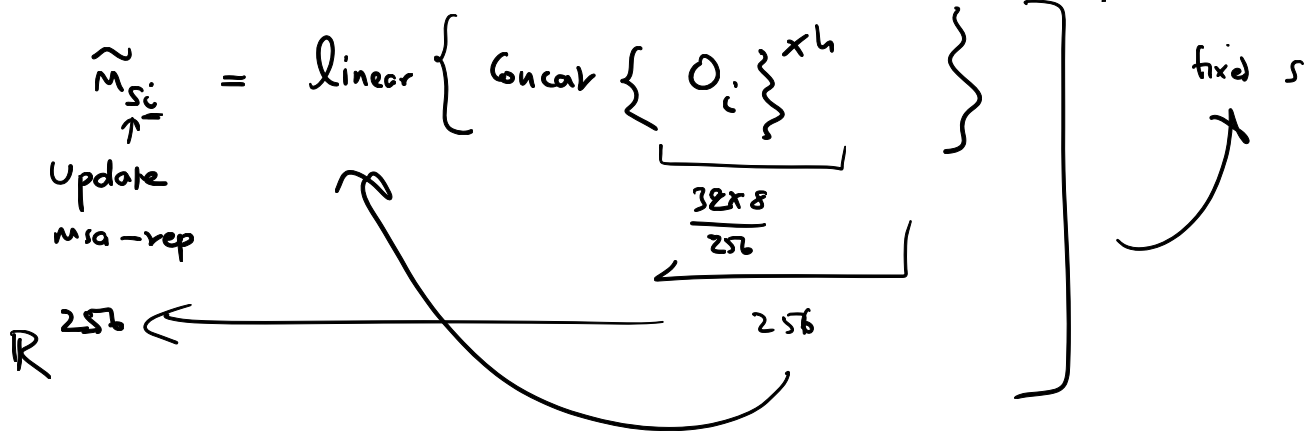
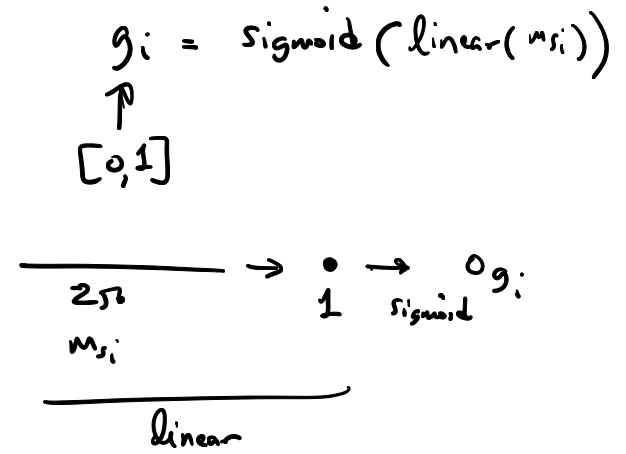
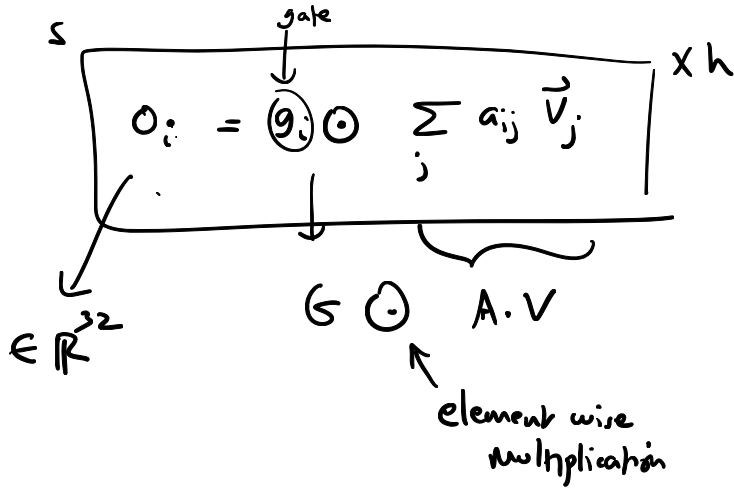
Axial attention



row & col : alternating

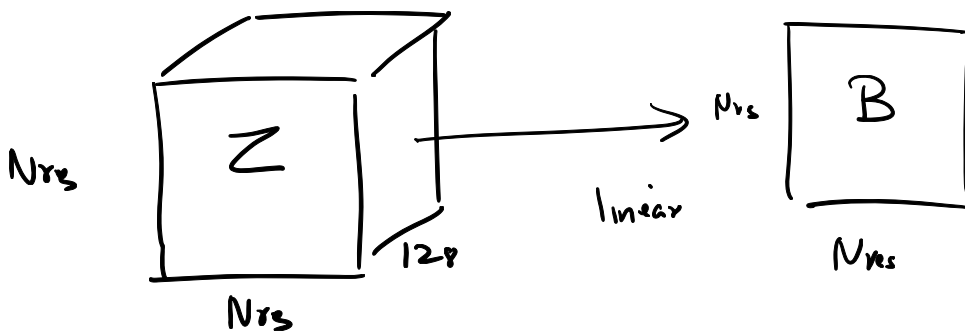
I. row wise attention (gated, pair bias)



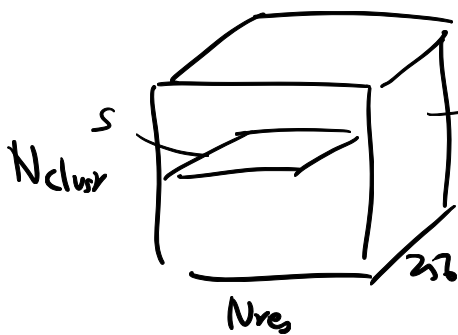


Tensor version of row-wise

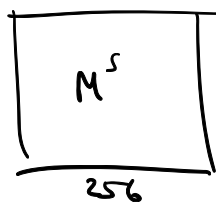
Bias



Pairwise

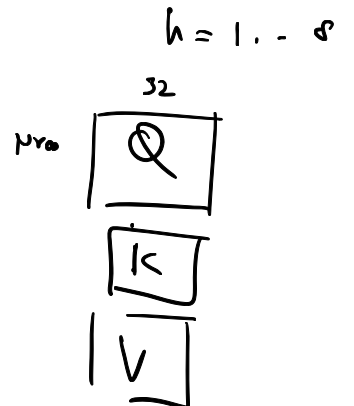


N_{rs}



256

Q^s
 K^s
 V^s



32

N_{rs}

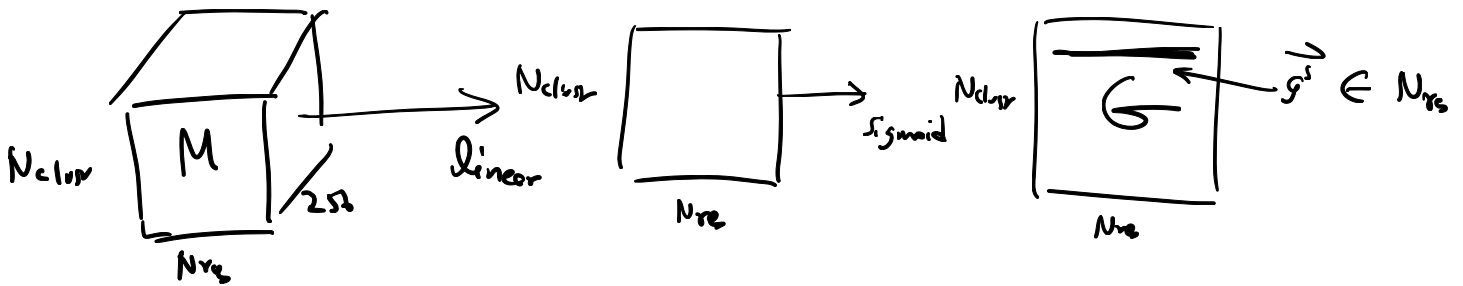


$$A^{sh} = \underset{\text{over rows}}{\text{softmax}} \left(\frac{Q^{sh} (K^{sh})^T}{\sqrt{dk}} + B \right)$$

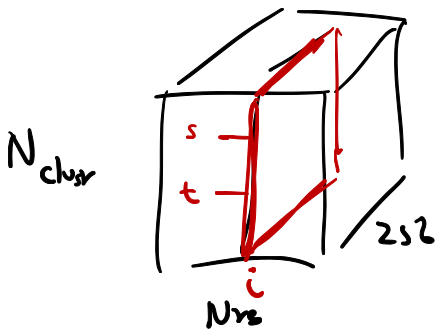
$$Q^{sh} : \underbrace{(N_{res} \times 32)}_{N_{res} \times N_{res}} \underbrace{(32 \times N_{res})}_{(K^{sh})^T}$$

$$O^{sh} = g^s \odot (A^{sh} \cdot V^{sh}) \quad N_{res} \times 32$$

$$M^s = \text{linear} \left(\text{Concat}_h \left\{ O^{sh} \right\} \right)$$

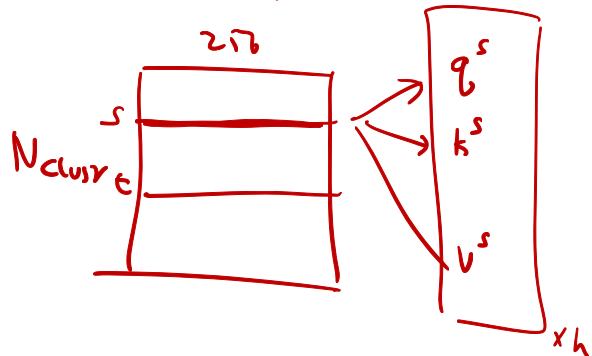


II. Col-wise attention (gated)



$$\forall i = 1, \dots, N_{res}$$

attention over sequence in $N_{cls} \times N_{res}$

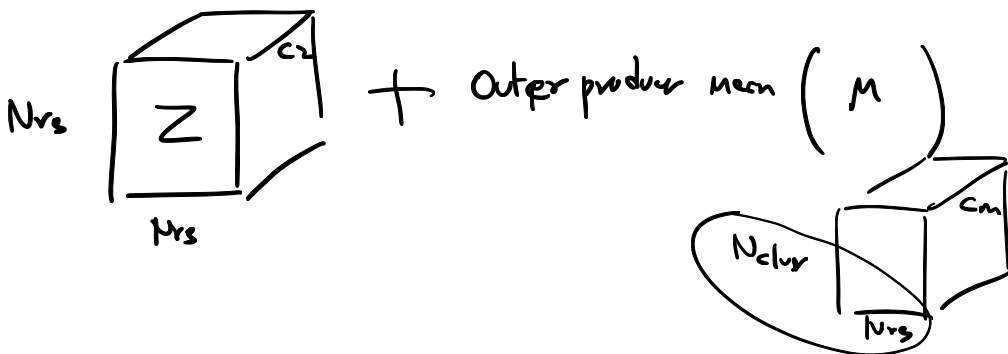
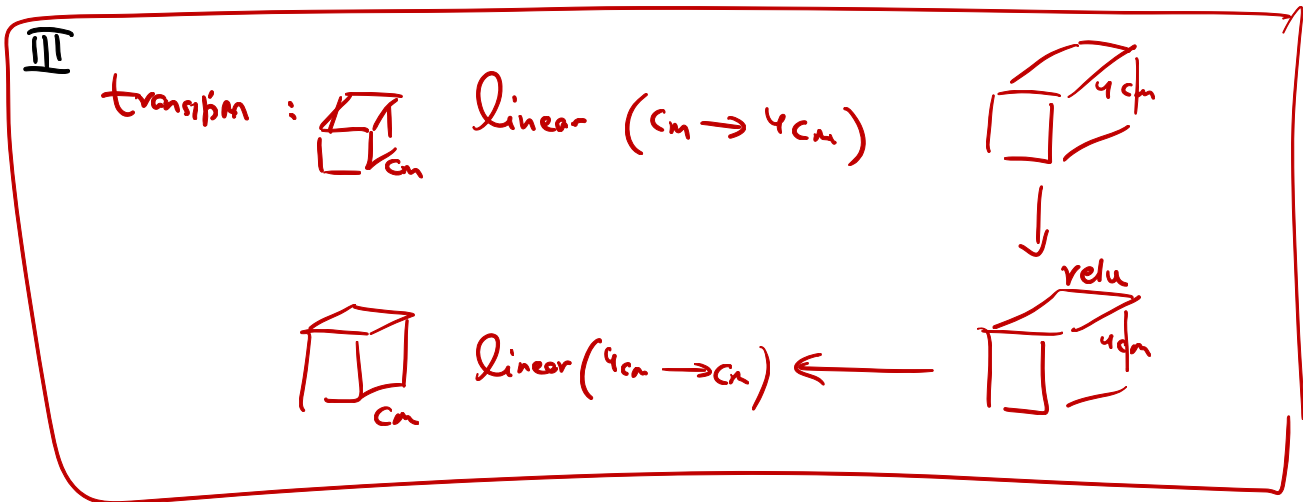
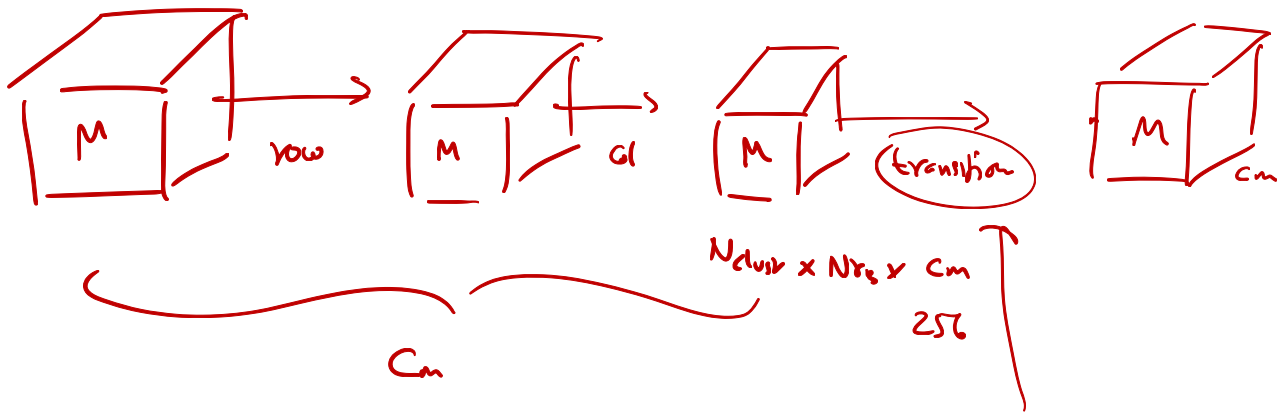


$$\frac{C = 32}{\text{Proj dim}} = h = 8$$

$$a_{st} = \text{Softmax} \left(\frac{q^s \cdot k^t}{\sqrt{c}} \right) \Big]^{x \times h}$$

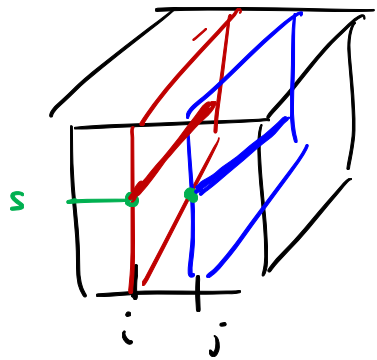
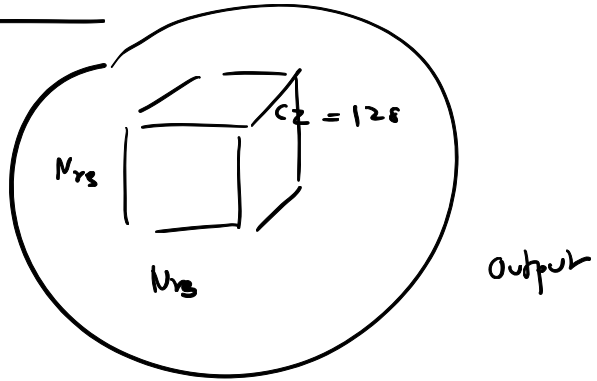
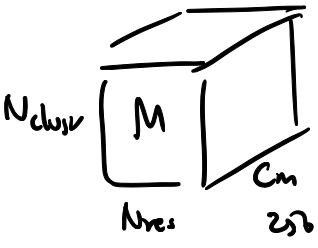
$$o_s = g_s \odot \sum_t a_{st} \cdot \vec{v}_t \Big]_{x \times h}$$

$$\tilde{m}_{rc} = \text{linear} \left(\text{Concat} \left\{ o_s \right\}^{x \times h} \right)$$



$c_2 = 128$

IV Outer product mean



$$C = 32 \quad C_m$$

$$\vec{a}_{s,i} = \text{linear}(\vec{m}_{s,i})$$

$$\vec{b}_{s,j} = \text{linear}(\vec{m}_{s,j})$$

$$o_{ij}^s = \vec{a}_{s,i} \otimes \vec{b}_{s,j} \rightarrow C \times C$$

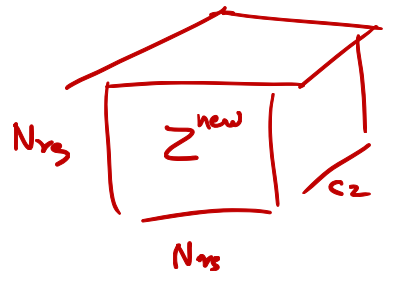
Standard vector outer product

$$o_{ij} = \text{mean}_s \{ o_{ij}^s \} \quad C \times C \xrightarrow{\text{flatten}} C \cdot C$$

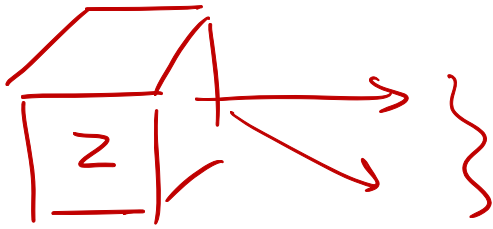
C = 32

$$z_{ij} = \text{linear}(\underline{o_{ij}}) \quad C_z = 128$$

new Z tensor



$$Z = Z + Z^{\text{new}}$$



triangles & multiplication attr.