

Relational Algebra Operators

①

1. SELECTION

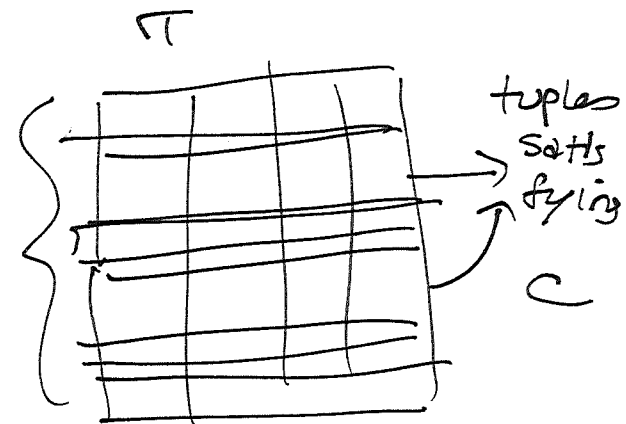
$$\sigma_c(R)$$

$$\text{SELECT}_c(R)$$

c is a Boolean condition over the attributes of relation R

$$\sigma_c(R) = \{ \text{tuples } t \text{ in } R \mid t \text{ satisfies } c \}$$

selection returns tuples with the same data model (schema) as R .

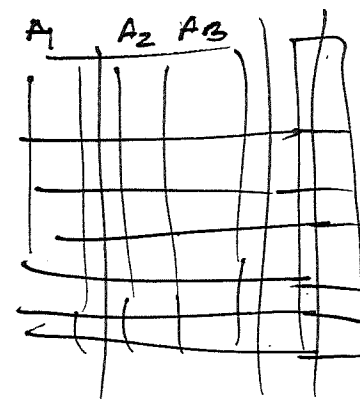


2. PROJECTION

$$\pi_{A_1, \dots, A_n}(R)$$

$$\text{PROJECT}_{\{A_1, \dots, A_n\}}(R)$$

$$\pi_{A_1, \dots, A_n}(R) = \{ \text{return all tuples in } R, \text{ but only the values for attributes } A_1, \dots, A_n \}$$



Heroes

2

hid	hname	universe	name
1	spiderman	u1	peter Parker
2	Spiderman	u2	peter parker
3	spiderham	u3	peter parker
4	spiderman	u4	miles moreles
5	ironman	u1	tony stark
6	blackwidow	u1	natashe romonoff

$$R1 = \sigma_{hname = 'spiderman'}(Heroes)$$

$$R2 = \pi_{hname}(Heroes)$$

$$R3 = \pi_{universe}(Heroes)$$

$$R4: \pi_{hname, name}(Heroes)$$

hname
 spiderman
 Spiderham
 ironman
 black widow

SET OPERATIONS

Given two relations R & S that are set compatible,

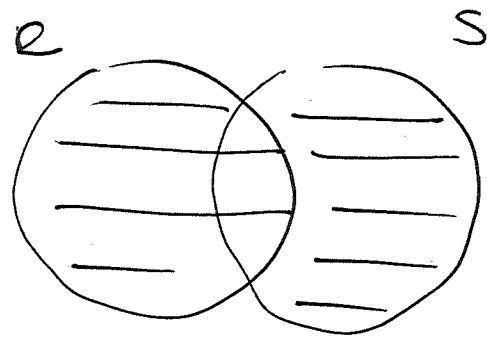
$$R \cup S = \{ \text{tuples } t \text{ such that } t \text{ is in } R \text{ or } t \text{ is in } S \}$$

$R \cup S$

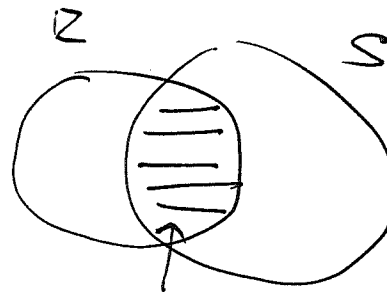
$$R \cap S = \{ \text{tuples } t \text{ such that } t \text{ is in } R \text{ \& } t \text{ is in } S \}$$

$R \cap S$

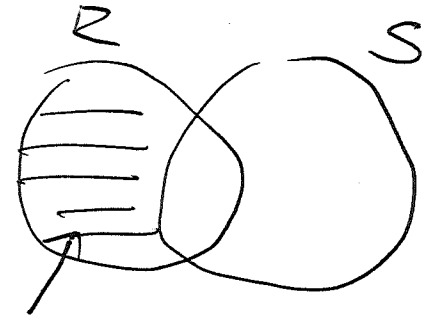
$$R - S = \{ \text{tuples } t \text{ in } R \text{ that are } \underline{\text{not}} \text{ in } S \}$$



$R \cup S$



$R \cap S$



$R - S$